

#### **NAVIGATING BIG COLOR**

























#### Scene Gamuts

Pointer surface color gamut shows value of Rec. 2020 for display





#### Scene Gamuts

SOCS is another popular scene gamut set



#### Gamut is 3 Dimensional (Yu'v')













#### Observer Models

CIE 2006 TC1-36 LMS cone fundamentals transformed to colormatching functions



$$\begin{split} \overline{l}_{\lambda} &= \alpha_{i,l,\lambda} \cdot 10^{-D\tau, max, macula \cdot D} macula \ relative, \lambda^{-D}\tau, ocul, \lambda} \\ \overline{m}_{\lambda} &= \alpha_{i,m,\lambda} \cdot 10^{-D\tau, max, macula \cdot D} macula \ relative, \lambda^{-D}\tau, ocul, \lambda} \\ \overline{s}_{\lambda} &= \alpha_{i,s,\lambda} \cdot 10^{-D\tau, max, macula \cdot D} macula \ relative, \lambda^{-D}\tau, ocul, \lambda} \end{split}$$





#### **Observer Models**

Heckaman / Fairchild Monte Carlo color matching functions



M.D. Fairchild and R.L. Heckaman, "Metameric Observers: A Monte Carlo Approach,: Proc. CIC21 (2013)



#### Observer Models

Sarkar/Fedutina, et al. color-matching functions



M. Fedutina, A. Sarkar, P. Urban and P. Moran, "How Do Observer Categories Based on Color Matching Functions Affect the Perception of Small Color Differences?" IS&T/SID Color Imaging Conference, 2-7, San Jose (2011)



#### Indices for Observer Metamerism Color Difference

 $OM_x = max(\overline{\Delta E_{y,P,\iota}})$ 

for each observer, *i*, in the CMF set, *x*, across *P* patches utilizing  $y = \Delta E_{ab}$ or  $\Delta E_{94}$  or  $\Delta E_{2000}$ 

Treating CIELAB as an elementary color appearance model for individual observer color-matching functions encompassing chromatic adaptation, lightness adaptation and perception scaling



#### Indices for Observer Metamerism Color Variability

$$OM_{x,var} = \overline{Vol(\Delta(L^*a^*b^*)_P))}$$

for the CMF set, x, across P patches



\*NOTE: x = Sarkar/Fedutina CMF set (s) for following simulations



#### **Observer Metamerism Simulations**

enforcing 1931 2° color match to aim stimuli

| SHE  | <u>CIE D65</u>      | OMs  | OM <sub>s,var</sub> | max<br>DE00(31) |
|--|---------------------|------|---------------------|-----------------|
| the second secon | MacBeth24           |      |                     |                 |
|  | Sony CRT (Rec. 709) | 2.15 | 2.6E-03             | 0.44            |
|  | NEC DLP (P3)        | 1.83 | 2.8E-04             | 0.00            |
|  | Panasonic DLP (P3)  | 2.49 | 1.0E-03             | 0.00            |
|  | Laser (Rec. 2020)   | 5.50 | 2.6E-01             | 0.00            |

D. Long and M.D. Fairchild, "Modeling observer variability and metamerism failure in electronic displays," Proc. CIC22 (2014)



## $\mathsf{CRT}\,\mathsf{OM}_{\mathsf{s},\mathsf{var}}$

- ITU-R Rec. 709
- MacBeth 24
- Illuminated by CIE D65
- 1931 2° color match
- Sarkar/Fedutina CMFs





# DLP OM<sub>s,var</sub>

- SMPTE 431 "P3"
- MacBeth 24
- Illuminated by CIE D65
- 1931 2° color match
- Sarkar/Fedutina CMFs





# RGB Laser OM<sub>s,var</sub>

- ITU-R Rec. 2020
- MacBeth 24
- Illuminated by CIE D65
- 1931 2° color match
- Sarkar/Fedutina CMFs













#### RIT Multi-Primary Display (MPD)



Designed explicitly via optimization in 7 channels to minimize OM<sub>s</sub>









#### **Observer Metamerism Simulations**

enforcing 1931 2° color match to aim stimuli

| NUL   | <u>CIE D65</u>      | OMs   | OM <sub>s,var</sub> [ | max<br>DE00(31) |
|-------|---------------------|-------|-----------------------|-----------------|
| A K   | MacBeth24           |       |                       |                 |
| And A | Sony CRT (Rec. 709) | 2.15  | 2.6E-03               | 0.44            |
|       | NEC DLP (P3)        | 1.83  | 2.8E-04               | 0.00            |
|       | Panasonic DLP (P3)  | 2.49  | 1.0E-03               | 0.00            |
|       | Laser (Rec. 2020)   | 5.50  | 2.6E-01               | 0.00            |
|       | 8 laser             | 11.61 | 3.1E+02               | 0.00            |
|       | RIT MPD             | 0.78  | 6.2E-06               | 0.00            |
|       |                     |       |                       |                 |

\*NOTE: Extra degrees of freedom used to further minimize OM<sub>s</sub> for 8-laser and RIT MPD



# 8 Laser OM<sub>s,var</sub>

- Maximum chromaticity gamut
- MacBeth 24
- Illuminated by CIE D65
- 1931 2° color match
- Sarkar/Fedutina CMFs





# $\mathsf{RIT}\,\mathsf{MPD}\,\mathsf{OM}_{\mathsf{s},\mathsf{var}}$

- Optimized for Observer Metamerism, OM<sub>s</sub>
- MacBeth 24
- Illuminated by CIE D65
- 1931 2° color match
- Sarkar/Fedutina CMFs





#### **Observer Metamerism Simulations**

a better 8-laser design?



| <u>CIE D65</u>      | OMs   | OM <sub>s,var</sub> | DE00(31) |
|---------------------|-------|---------------------|----------|
| MacBeth24           |       |                     |          |
| Laser (Rec. 2020)   | 5.50  | 2.6E-01             | 0.00     |
| 8 laser             | 11.61 | 3.1E+02             | 0.00     |
| 8 laser + Rec. 2020 | 2.09  | 3.2E-03             | 0.00     |
| RIT MPD             | 0.78  | 6.2E-06             | 0.00     |

\*NOTE: Extra degrees of freedom used to further minimize OM<sub>s</sub> for 8-laser and RIT MPD





Y. Asano, et al., "Observer variability in Color Image Matching on a LCD monitor and a Laser Projector," Proc. CIC22 (2014)

Color image matching experiment (not patches!)

conventional media (LCD monitor) & laser projector viewed in practical condition (side-by-side comparison)

Microvision SHOWWX+ Laser Pico Projector

Apple Cinema HD LCD





Image: 02





Image: 03



Reference Image on laser display

Global L\*a\*b\* adjustments of LCD image to match



Image: 01





Extreme Observers, Image 03



 Traditional color camera designs operate under presumption of fixed output colorspace





aka, ITU-R Rec. 709



• Start by generating a primary matrix of a display

$$\begin{bmatrix} X \\ Y \\ Z \end{bmatrix} = \begin{bmatrix} X_r & X_g & X_b \\ Y_r & Y_g & Y_b \\ Z_r & Z_g & Z_b \end{bmatrix} \bullet \begin{bmatrix} R \\ G \\ B \end{bmatrix}_{0-1}$$

$$PM = \left[ \begin{array}{ccc} X_r & X_g & X_b \\ Y_r & Y_g & Y_b \\ Z_r & Z_g & Z_b \end{array} \right]$$

Determined under established white point (D65 for sRGB/709) and typically built presuming luminance normalization









ITU-R Rec. 709 / IEC 61966-2-1 "sRGB"



Enforce the Luther condition in camera design for exact colorimetric reproduction

$$\begin{bmatrix} \overline{r_{\lambda 1}} & \overline{g_{\lambda 1}} & \overline{b_{\lambda 1}} \\ \cdots & \cdots & \cdots \\ \overline{r_{\lambda n}} & \overline{g_{\lambda n}} & \overline{b_{\lambda n}} \end{bmatrix}^{T} = \begin{bmatrix} PM \end{bmatrix}^{-1} \begin{bmatrix} \overline{x_{\lambda 1}} & \overline{y_{\lambda 1}} & \overline{z_{\lambda 1}} \\ \cdots & \cdots & \cdots \\ \overline{x_{\lambda n}} & \overline{y_{\lambda n}} & \overline{z_{\lambda n}} \end{bmatrix}^{T}$$

CRAVE

MORE

NABSHOW





SMPTE S



Enforce the Luther condition in camera design for exact colorimetric reproduction

$$\begin{bmatrix} \overline{r_{\lambda l}} & \overline{g_{\lambda l}} & \overline{b_{\lambda l}} \\ \cdots & \cdots & \cdots \\ \overline{r_{\lambda n}} & \overline{g_{\lambda n}} & \overline{b_{\lambda n}} \end{bmatrix}^{T} = \begin{bmatrix} PM \end{bmatrix}^{-l} \begin{bmatrix} \overline{x_{\lambda l}} & \overline{y_{\lambda l}} & \overline{z_{\lambda l}} \\ \cdots & \cdots & \cdots \\ \overline{x_{\lambda n}} & \overline{y_{\lambda n}} & \overline{z_{\lambda n}} \end{bmatrix}^{T}$$





CRAVE

MORE

NABSHOW

(SMPTE) S

Rec. 709 Spectral Sensitivity



But how can camera physics deliver negative response to incident light?











It can't – this is a mathematical idealization and results from the display colorspace being smaller gamut than the spectral locus









#### How Do We Actually Build This?



At this point, there are a lot of strategies to consider...

...we could chop off the negative parts...





...but we also might need to smooth the edges we just chopped off to reflect the reality of available color filter array materials

We might also compromise shape to ensure minimum quantum detection and electronic noise!





We have now fully perturbed our spectral sensitivity away from the Luther ideal – can we get back to it?

We can try optimizing a linear (or other) transform

We can try doing this with the spectral sensitivity curves themselves (typically a bad idea!) or we can regress a model of important scene colors







Parameters for optimization

- 1. Which patches do you regress? Are some more important than others? Do you restrict optimization to patches within the display gamut? What illumination?
- 2. Optimization metric? Colorimetry or Color Appearance? CIELAB? CIECAM?
- 3. Transform complexity?





Of course, if we actually re-predict the Luther response, out-of-gamut scene colors WILL STILL give negative R or G or B camera signals







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IORE

**ABSHOW** 

SMPTE S

There are solution options that work seamless for direct-displayed color...

- Constrain the optimization matrix to not permit creation of negative effective spectral sensitivity (trading colorimetric accuracy)
- 2. Employ in-camera processing to clip or intelligently gamut-map negative RGB

...or an option that preserves scene colorimetry by <u>encoding</u> negative values but requires intelligent display processing

3. xvYCC, ITU-R Rec.1361, etc.











Bigger display gamuts have  $\begin{bmatrix} \overline{r_{\lambda 1}} & \overline{g_{\lambda 1}} & \overline{b_{\lambda 1}} \\ \cdots & \cdots & \cdots \\ \overline{r_{\lambda n}} & \overline{g_{\lambda n}} & \overline{b_{\lambda n}} \end{bmatrix}^{T} = \begin{bmatrix} PM \end{bmatrix}^{-1} \begin{bmatrix} \overline{x_{\lambda 1}} & \overline{y_{\lambda 1}} & \overline{z_{\lambda 1}} \\ \cdots & \cdots & \cdots \\ \overline{x_{\lambda n}} & \overline{y_{\lambda n}} & \overline{z_{\lambda n}} \end{bmatrix}^{T}$ a lot less negative issues! Luther optimization should be better 1931 2° Rec. 2020 1.5 standard Spectral observer Sensitivity 0.5 0 350 400 450 500 550 600 650 700 750 350 400 450 500 550 600 650 700 750 wavelength (nm) wavelength (nm) CRAVE NABSHOW SMPTE S MORE



Some camera spec sheets seem to tout Rec2020 mode means they have a bigger camera gamut?

My triangle is bigger than yours?

My camera can "see" more colors than yours?

![](_page_49_Picture_5.jpeg)

![](_page_49_Picture_6.jpeg)

![](_page_50_Figure_1.jpeg)

Gamut is a term appropriate to displays only! Color scientists don't talk about camera gamuts

Go ahead and take a picture with your phone – can you see my laser pointer?

When showing a chromaticity diagram for a camera, always interpret it as an optimized encoding space for the RGB color of the display (with all of the requisite constraints we've discussed)

![](_page_50_Picture_5.jpeg)

![](_page_50_Picture_6.jpeg)

![](_page_51_Figure_1.jpeg)

If you really want to compare triangle sizes, consider that the Academy's ACES system provides a recipe for turning ANY camera into a full XYZ encoder!

With controlled optimization errors inferred of course if the camera isn't a Luther design

![](_page_51_Picture_4.jpeg)

![](_page_51_Picture_5.jpeg)

![](_page_52_Figure_1.jpeg)

Or why not simply produce a camera with spectral sensitivities equivalent to the 1931 2° color-matching functions?

Or a linear combination thereof?

![](_page_52_Picture_4.jpeg)

#### Do We Want a Luther Camera?

For direct-to-display workflows, it is the typical starting point in design

![](_page_53_Picture_2.jpeg)

![](_page_53_Picture_3.jpeg)

![](_page_53_Picture_4.jpeg)

### Do We Want a Luther Camera?

For workflows with extensive display image processing available, it can be extremely useful

![](_page_54_Figure_2.jpeg)

Consider ACES scene-referred colorimetric encoding combined with reference rendering output

![](_page_54_Picture_4.jpeg)

## **Historical Color Preference?**

What about specific color reproduction preference?

Multiple studies at Kodak confirmed 100% accurate scene colorimetry is a fairly unpopular goal in motion media design

Is the neg-to-print "film look" actually a better aim? It does have the benefit of decades of in-the-field refinement

![](_page_55_Picture_4.jpeg)

![](_page_55_Picture_5.jpeg)

![](_page_55_Picture_6.jpeg)

#### Film Look Colorspaces

LOG and RAW modes in cinema cameras are partly intended to permit seamless integration into the printing density ("film-look") paradigm of early digital intermediate

![](_page_56_Picture_2.jpeg)

![](_page_56_Picture_3.jpeg)

Thomson Viper and the "filmstream" mode (2004)

![](_page_56_Picture_5.jpeg)

![](_page_56_Picture_6.jpeg)

## Is Colorimetry Color Appearance?

We must also acknowledge that human color vision is so much more than matching points on a chromaticity diagram between scene and screen

**Stevens Effect:** A screen luminance lower than scene luminance will lead to a low contrast perception despite equivalent relative colorimetry

Surround Illumination: Viewing content in dim or dark surround will lead to a low contrast perception despite equivalent relative colorimetry

![](_page_57_Picture_4.jpeg)

## Is Colorimetry Color Appearance?

Hunt Effect: A screen luminance lower than scene luminance will lead to a low colorfulness perception despite equivalent relative colorimetry

White Balance & Chromatic Adaptation: Camera RGB is not the correct colorspace to mimic human chromatic adaptation to differing scene whites

![](_page_58_Picture_3.jpeg)

## **Tone Rendering Beyond Colorimetry**

We technically need HDR and wide color gamut displays just to accurately render the equivalent appearance of our typical scenes!

> 1000:1 scene mapped from Rec. 709 camera onto 1000:1 sRGB display

![](_page_59_Figure_3.jpeg)

![](_page_59_Picture_4.jpeg)

![](_page_59_Picture_5.jpeg)

![](_page_60_Picture_0.jpeg)

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![](_page_60_Picture_3.jpeg)